

Reinventing Electromagnetic Simulation with Physics-Informed AI

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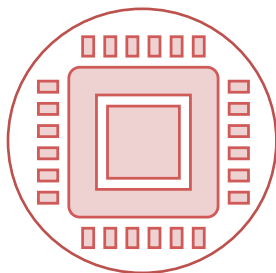
Agenda

- Introduction and Problem Statement.
- Traditional AI/ML for EMI.
- Introducing Physics-Informed Neural Networks (PINNs/PIML).
- Kolmogorov-Arnold-Network (KAN)-Based PIML.
- PINN-Driven EMI Simulations.
- Conclusions.

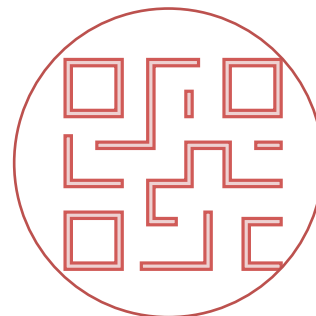
Introduction



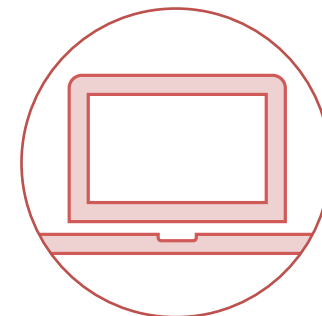
Electronic devices
cause different
forms of EMI



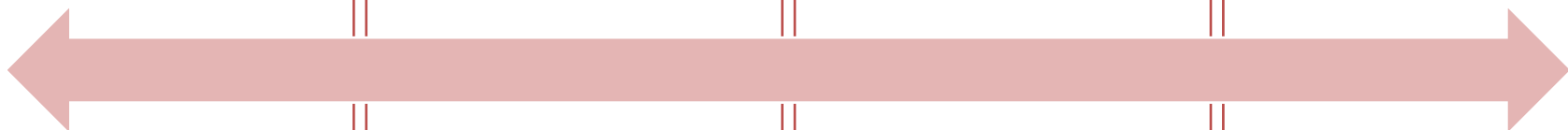
A single PCB
employs different
connectivity
standards and
therefore emissions
increase



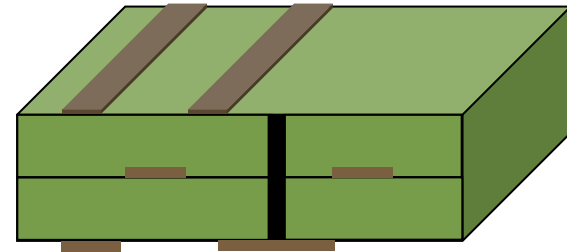
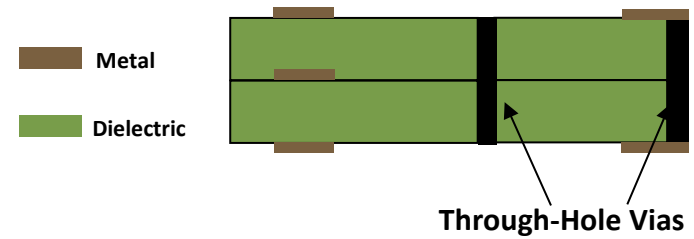
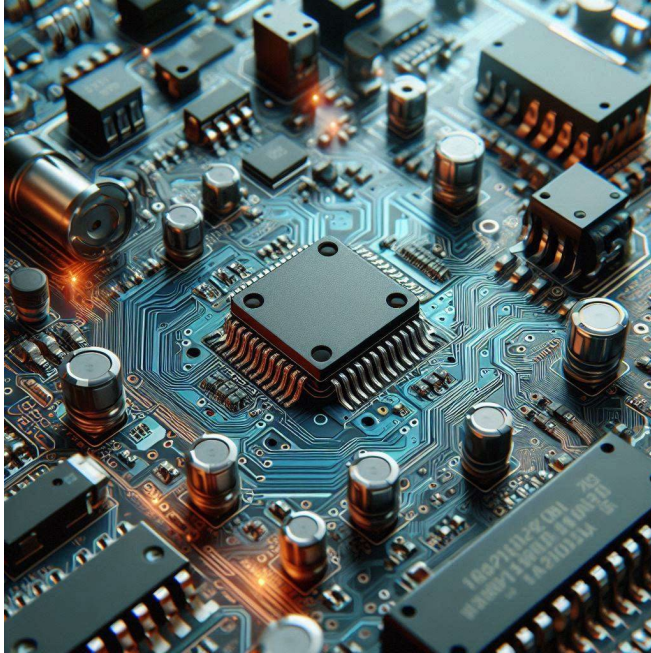
Most EMI issues
originate from PCBs
and radiate into free-
space or couple into
other parts of the
circuit



Simulating such
PCB is needed in
the early-stage of
product design and
can be helpful in
detecting any
potential problems



Printed Circuit Boards (PCBs)



A Multilayer PCB

PCBs are often the major contributor to EMI emissions!

How Do Full-Wave Simulation Engines Work?

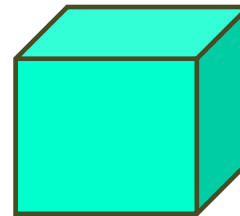
$$\oint_{\partial A} \vec{E} \cdot d\vec{s} = - \iint \frac{\partial \vec{B}}{\partial t} \cdot d\vec{A}$$

$$\oint_{\partial A} \vec{H} \cdot d\vec{s} = \iint \left(\frac{\partial \vec{D}}{\partial t} + \vec{J} \right) \cdot d\vec{A}$$

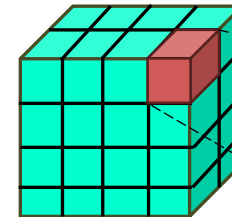
$$\oint_{\partial V} \vec{D} \cdot d\vec{A} = \iiint \rho dV$$

$$\oint_{\partial V} \vec{B} \cdot d\vec{A} = 0$$

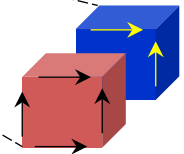
Maxwell's Equations



Simulation Structure



Grid of multiple mesh cells



Mesh cells:
contain electric and
magnetic potential

Discretization Process

Issues with Full-Wave Simulations



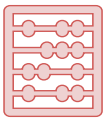
Simulation Time: Full-wave simulations require long time to solve Maxwell's equations for any EMC problem.



Computational Capacity: A typical EMC problem needs high-speed multi-core processors with very high RAM capacity and additionally a couple of GPU cards. This makes the machine very expensive.



Energy Consumption: Long computation time on a highly-equipped machine typically consumes a huge amount of electrical energy and cooling additionally.



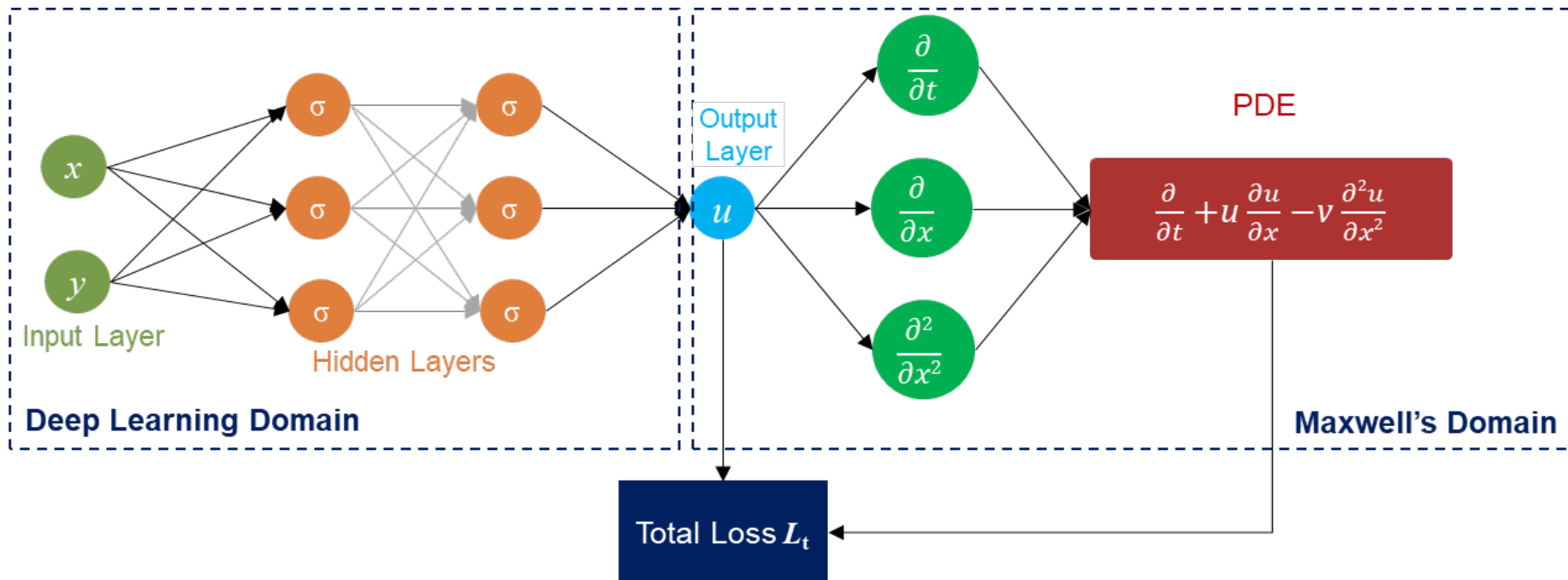
Iterations: Most EMI problem requires several iterative simulations to reach a trouble-shooting since they are not clearly detectable with standard straightforward techniques.

Physics-Informed Machine Learning (PIML)

- Multi-layer perceptrons (MLPs), which consist of neurons connected via trainable weights, are the standard building blocks of neural networks.
- **PIML integrates data and mathematical physics models, even in partially understood, uncertain and high-dimensional contexts*.**
- PIML combines two learning methods: 1) surrogate approximation, and 2) PDE learning network.
- The PDE learning part of the loss function is derived in the form of a residual function and can be considered as an unsupervised learning.

*Karniadakis, G.E., Kevrekidis, I.G., Lu, L. *et al.* Physics-informed machine learning. *Nat Rev Phys* **3**, 422–440 (2021).

Physics-Informed Machine Learning



What is Kolmogorov-Arnold-Network (KAN)?

- Recently introduced by a group of MIT researchers inspired by the Kolmogorov-Arnold representation theorem of the two great Mathematicians “**Vladimir Arnold**” and “**Andrey Kolmogorov**”.
- KANs proposes, for the first time, learnable activation functions on their edges (or “weights”).
- KANs do not use linear weights at all. Instead, each weight parameter is replaced by a univariate function, which is represented as a spline.
- In the end, the KAN-based PIML can potentially represent the solution with a symbolic function in contrast to MLP training functions.

Liu, Z., Wang, Y., Vaidya, S., Ruehle, F., Halverson, J., Soljačić, M., & Tegmark, M. (2024). Kan: Kolmogorov-Arnold networks. arXiv preprint arXiv:2404.19756.

MLP vs. KAN

Model	Multi-Layer Perceptron (MLP)	Kolmogorov-Arnold Network (KAN)
Theorem	Universal Approximation Theorem	Kolmogorov-Arnold Representation Theorem
Formula (Shallow)	$f(\mathbf{x}) \approx \sum_{i=1}^{N(e)} a_i \sigma(\mathbf{w}_i \cdot \mathbf{x} + b_i)$	$f(\mathbf{x}) = \sum_{q=1}^{2n+1} \Phi_q \left(\sum_{p=1}^n \phi_{q,p}(x_p) \right)$
Model (Shallow)	(a)	(b)
Formula (Deep)	$\text{MLP}(\mathbf{x}) = (\mathbf{W}_3 \circ \sigma_2 \circ \mathbf{W}_2 \circ \sigma_1 \circ \mathbf{W}_1)(\mathbf{x})$	$\text{KAN}(\mathbf{x}) = (\Phi_3 \circ \Phi_2 \circ \Phi_1)(\mathbf{x})$
Model (Deep)	(c)	(d)

From:

Liu, Z., Wang, Y., Vaidya, S., Ruehle, F., Halverson, J., Soljačić, M., & Tegmark, M. (2024). Kan: Kolmogorov-Arnold networks. arXiv preprint arXiv:2404.19756.

PIML for EMI/EMC Simulations?

Data Integration

PIML integrates data from both domains (measurement and PDEs).

Mesh-less Simulations!

PIML can operate at any point within the calculation domain without the need for discretization.

EMI/EMC Simulations?



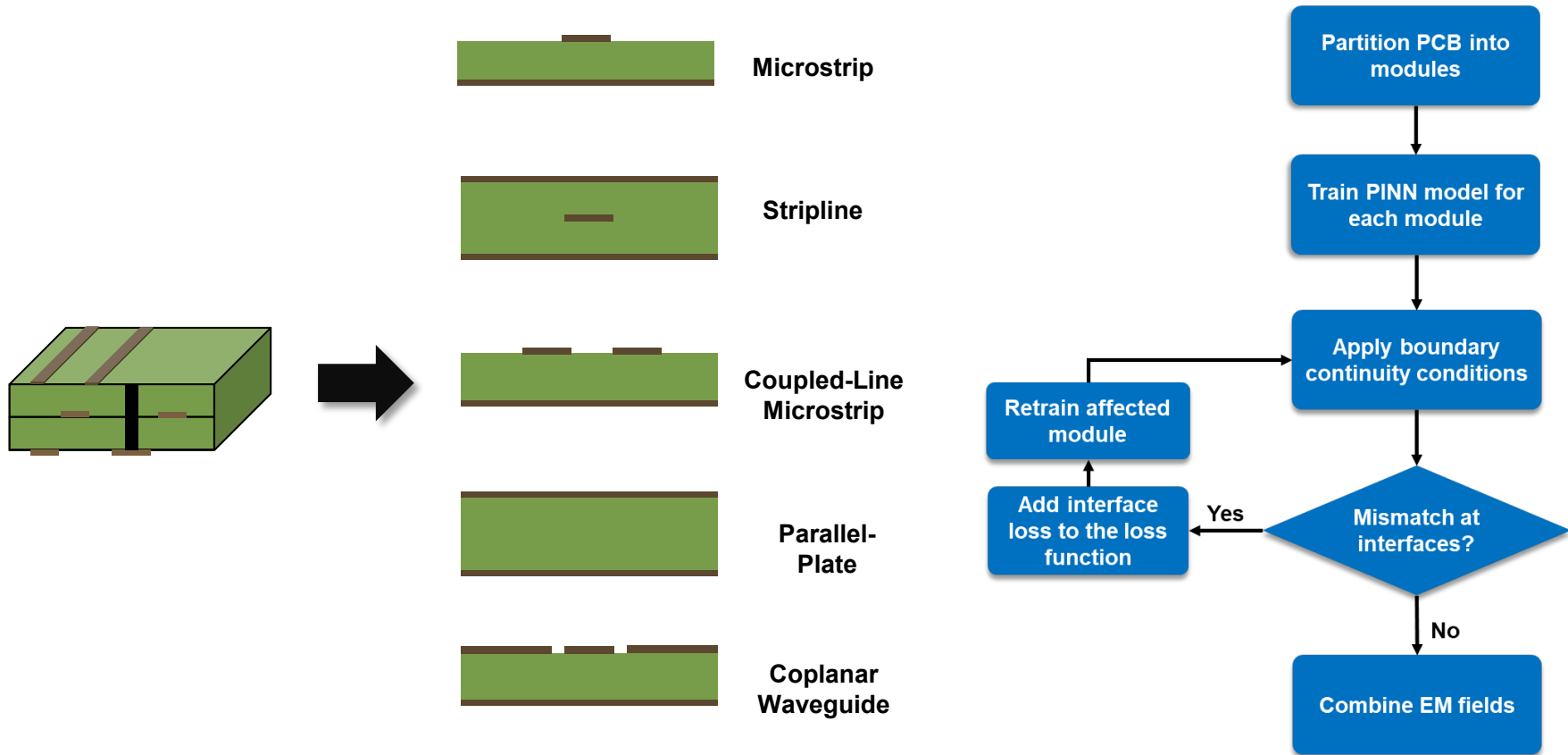
Embedding PDEs

PDEs are embedded into the loss function which enhances accuracy.

PDEs = Maxwell's Equations

ML techniques are learning processes where real-scenario iterations will no longer be required if the problem has been learnt well.

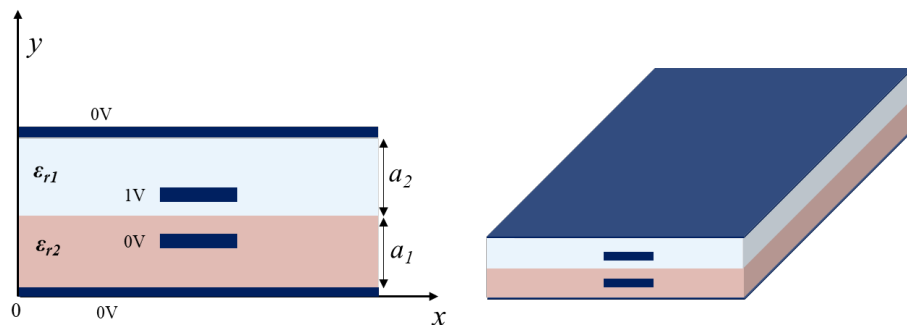
The Key Idea: PCB Modularization



M. Kheir, K. Qian, M. Nabi and T. Ebel, "Modular Meshless Electromagnetic Simulation Using KAN-Based Physics-Informed Neural Networks," in *IEEE Journal on Multiscale and Multiphysics Computational Techniques*, vol. 10, pp. 452-458, 2025, doi: 10.1109/JMMCT.2025.3618590

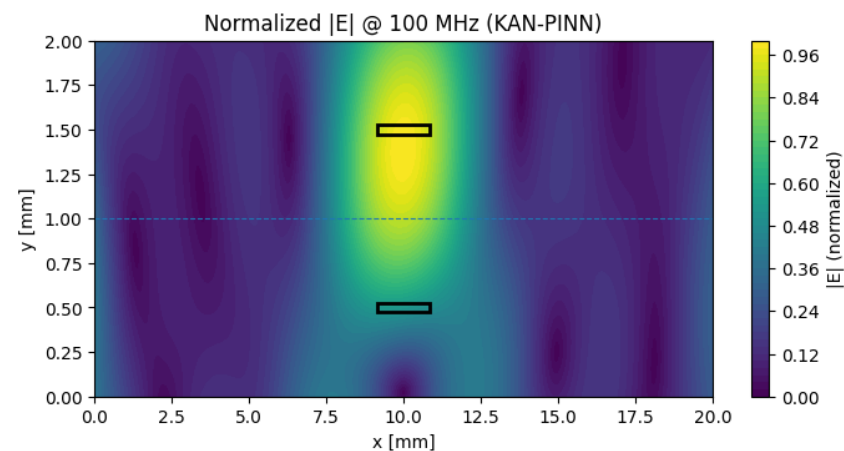
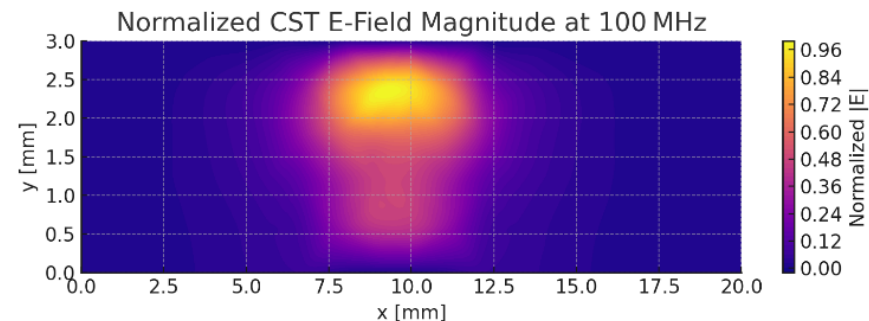
Proposed AI Solver: KAN-PINN method

A 4-Layer PCB E-Field Results



$$\nabla^2 u(x, y) + k^2 \varepsilon_r(y) u(x, y) = 0$$

Helmholtz Solution



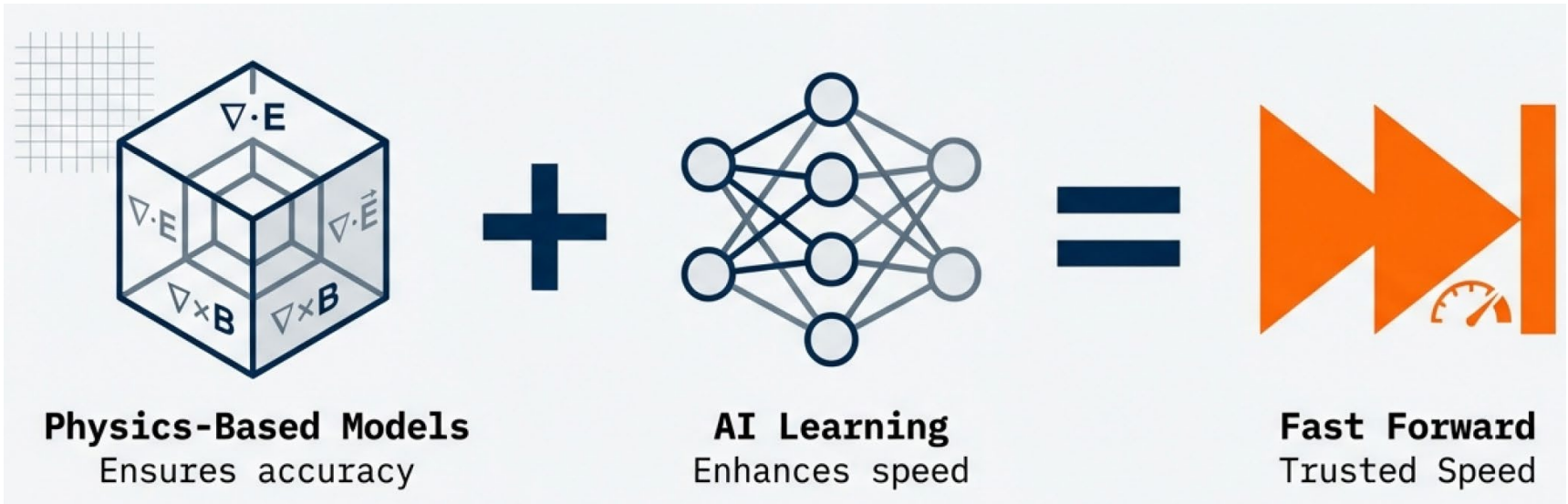
M. Kheir, K. Qian, M. Nabi and T. Ebel, "Modular Meshless Electromagnetic Simulation Using KAN-Based Physics-Informed Neural Networks," in *IEEE Journal on Multiscale and Multiphysics Computational Techniques*, vol. 10, pp. 452-458, 2025, doi: 10.1109/JMMCT.2025.3618590

KAN-PINN vs. Commercial Solvers

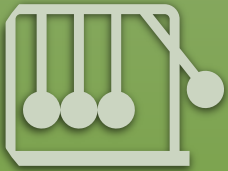
Metric	KAN-PINN	CST
Solver Type	Meshless PINN	Numerical (Finite-Integration)
Equation Solved	Helmholtz Wave Equation	Maxwell's Equations
ϵ_r Handling	Spatially Varying	Hexahedral mesh
Grid/Mesh	200×120 grid points (meshless)	6,851 mesh cells
Simulation Time	36 sec	113 sec

A tangible PCB check speed of 3x faster than a standard commercial full-wave solver.

Physics + AI = Speed and Credibility



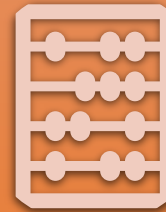
Why the KAN-PINN Solver Wins?



It uses physics-based models enhanced by data-driven learning



It works with limited simulation data (cost-efficient)



Modular approach: it reuses learned building blocks across designs

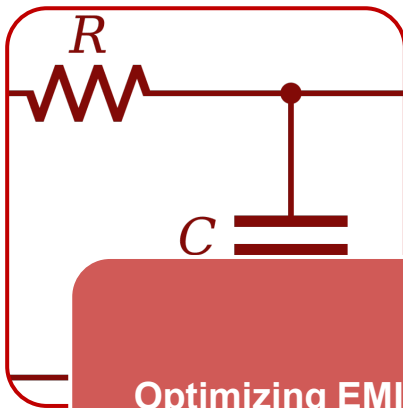


Designed for fast iterations



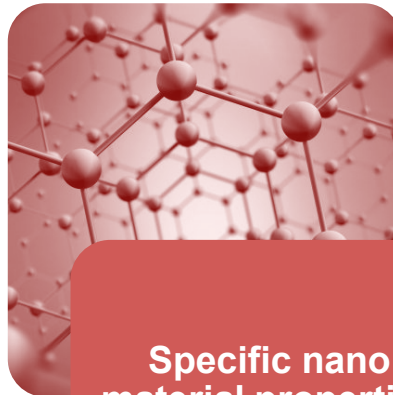
Other Potential PIML Directions for EMI

EMI Filters



Optimizing EMI filter insertion loss function for better EMI response.

Shielding Materials



Specific nano material properties can be optimized to enhance a desired functionality.

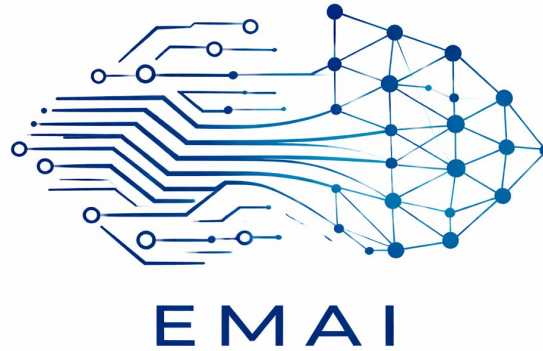
Ferrites



Modeling and optimizing the magnetic properties of ferrite materials to achieve desired characteristics.

Conclusions

- There is a clear potential for employing PIML in simulating specific EMI/EMC problems which will open new horizons for new green simulation workflows.
- There are still, however, open research points and research challenges that are currently being addressed and investigated.
- The results from both MLP- as well as KAN-based PINNs have been demonstrated where the KAN-based PINNs can achieve the same results as MLP-based PINN, but with much fewer neurons.
- KAN-based PIML consequently reduce the training time required and introduce an energy-efficient and faster and more accurate training compared to MLP-based.
- PIML techniques have a wide range of applications for the EMI/EMC domains.



Stay tuned 😊